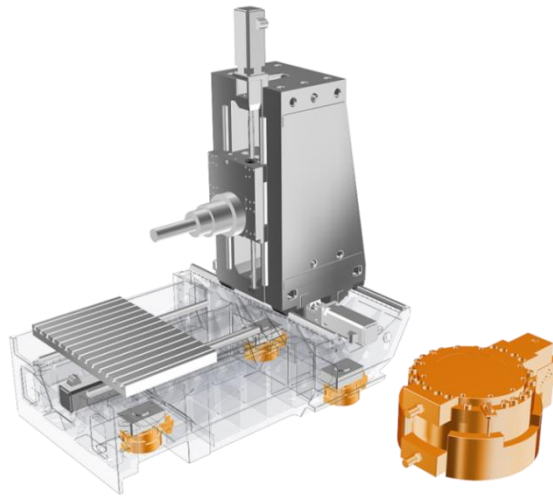

ACTIVE VIBRATION ISOLATION OF MACHINE TOOLS USING AN ELECTRO-HYDRAULIC ACTUATOR

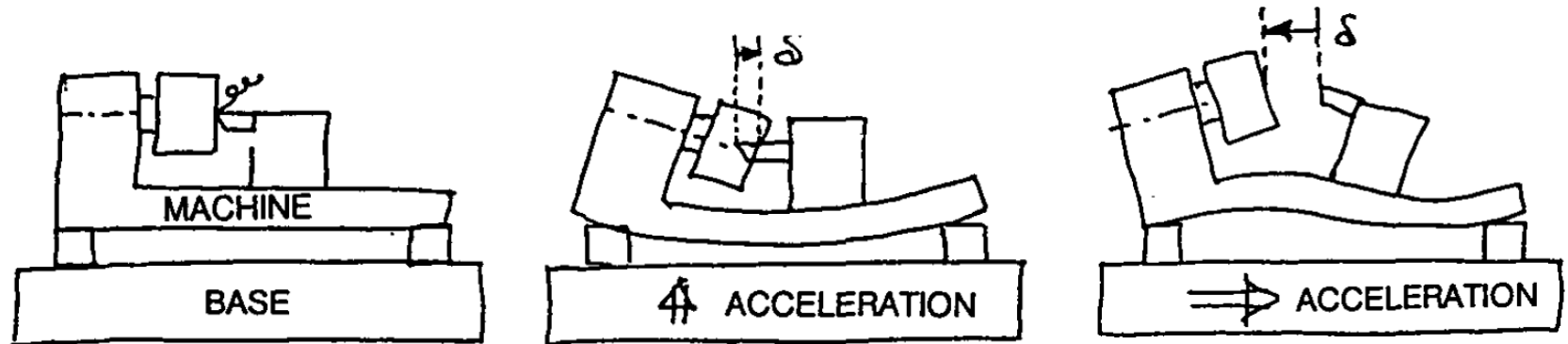
M. Law, M. Wabner, A. Colditz, M. Kolouch, S. Noack and S. Ihlenfeldt



VMPT2015

June 2-5, 2015, Vancouver, Canada

Ground vibrations influencing machine accuracy

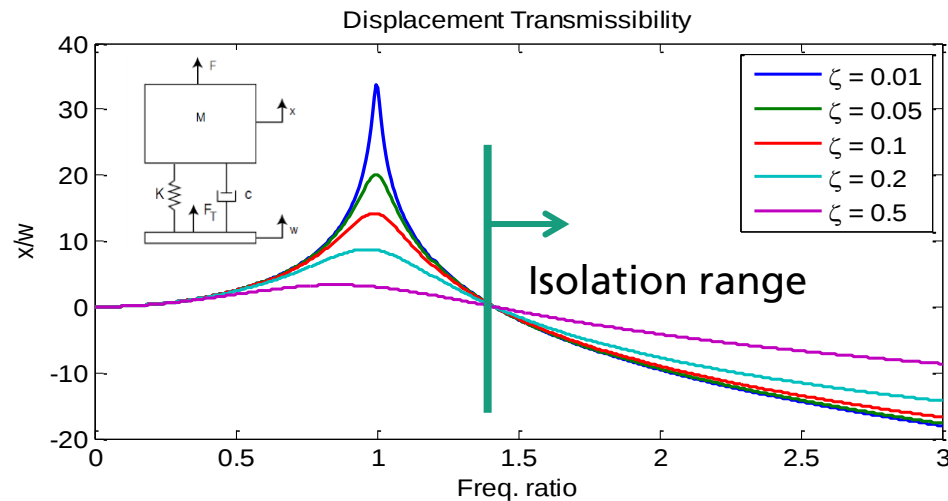


DeBra (1992)

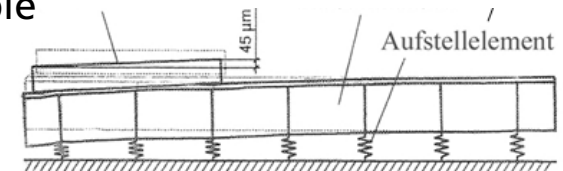
- Ground vibrations distort the machine and results in loss of machining accuracy
- Insulating the machine from its production environment is difficult
- Hence, necessary to isolate machine from disturbances to maintain accuracy

Vibration isolation: passive and/or active?

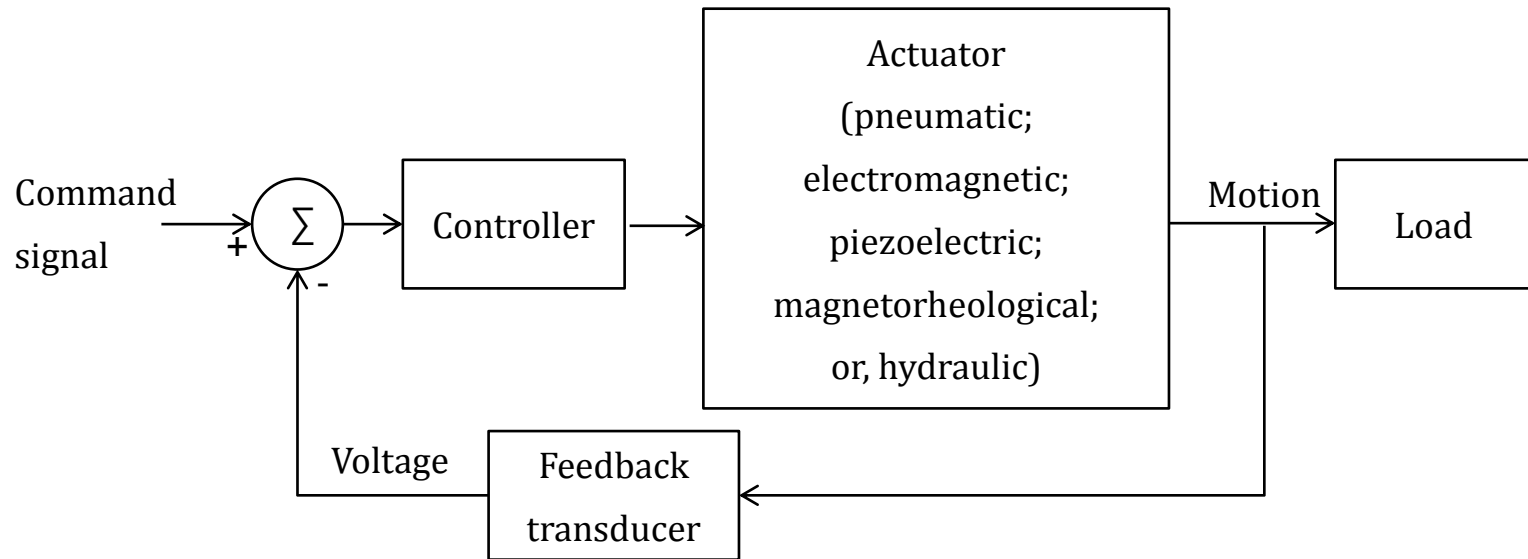
Passive isolators: High damping and relatively low support stiffness



- Passive isolators offer simple and effective isolation solutions
- Dynamic instabilities like rocking due to the low support stiffness
- Difficult to design when ground vibrates with unpredictable waveform that has broadband spectrum



Active isolators and objectives of this work



Actuating principles

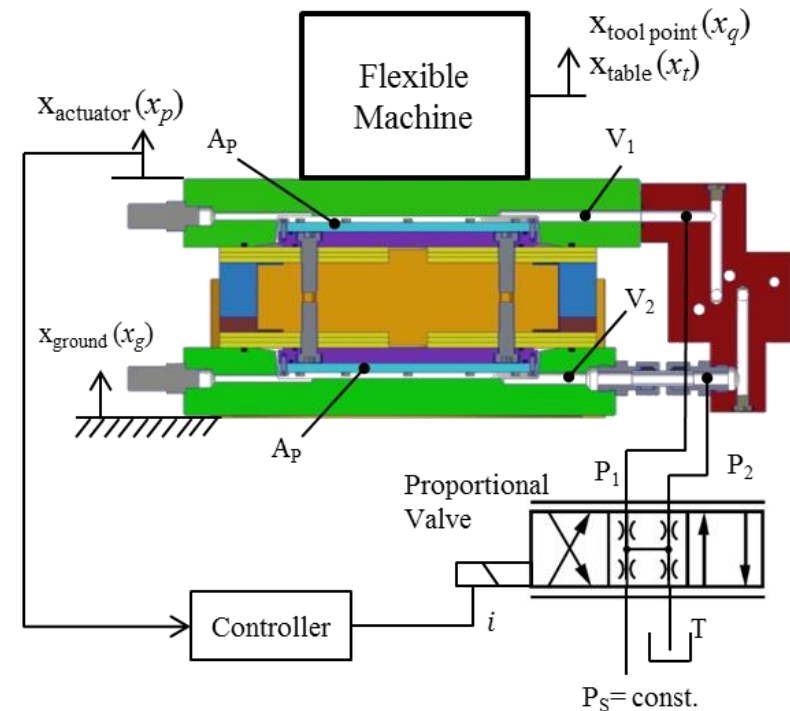
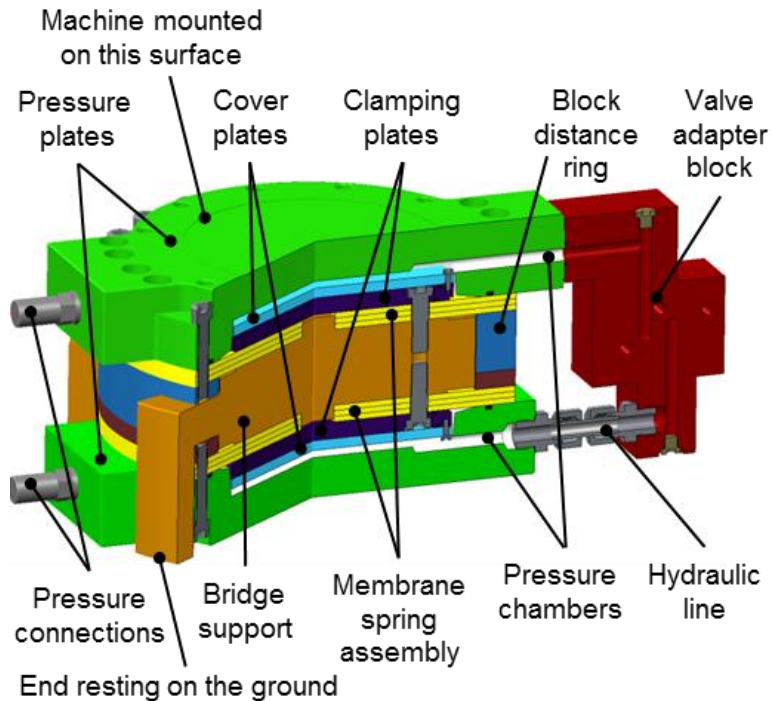
- | | | | |
|----------------------|---|------------------------------|------------------------------|
| ➤ Pneumatic | ➔ | Unable to support high loads | } Hydraulic actuators |
| ➤ Electromagnetic | ➔ | Low strokes | |
| ➤ Magnetorheological | ➔ | Suffers from hysteresis | |
| ➤ Piezoelectric | ➔ | Small deflection capacities | |
| | | | ✓ High static stiffness |
| | | | ✓ No hysteresis |
| | | | ✓ Large deflection |

Structure

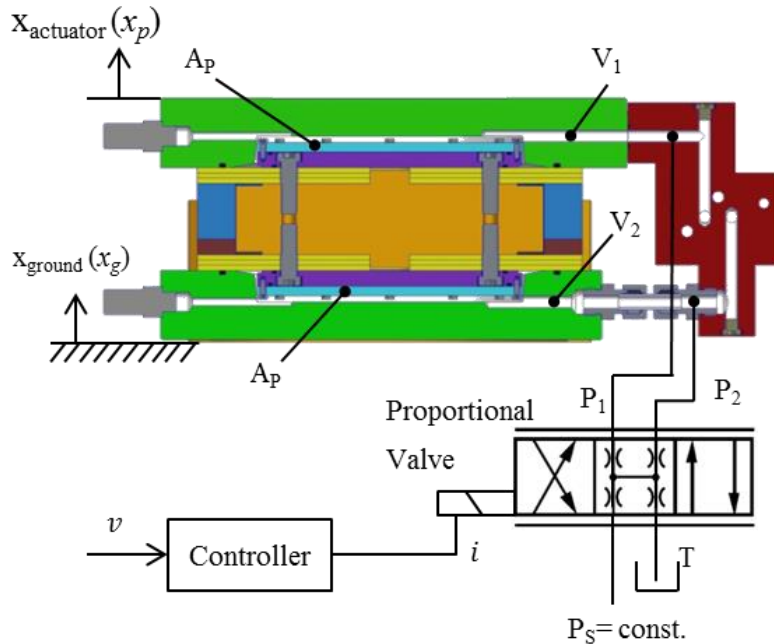
- Introduction and Motivation
- Electro-hydraulic active isolator
 - Actuator working principle and dynamics
 - Experimental characterization
- Active isolation of machine tools
 - Transmissibility of a flexible machine
- Conclusions and outlook

Proposed electro-hydraulic isolation system @ IWU

Working principle: displacement compensation



Actuator dynamics (without load and disturbance)



$$G_{EHA} = \frac{x_p}{v} = G_{valve} G_{act}$$

Valve dynamics:

$$G_{valve} = \frac{x_v}{v}(s) = K_v \left[\frac{1}{1 + \left(\frac{2\zeta}{\omega_{nv}} \right) s + \left(\frac{s}{\omega_{nv}} \right)^2} \right]$$

Hydraulic and Piston dynamics:

$$Q_L = K_Q x_v - K_C P_L; \quad Q_L = A_p s x_p + \frac{V_t}{4\beta} s P_L$$

$$\left(\begin{array}{l} V_t = V_1 + V_2 = 2V_0; \\ P_L = P_1 - P_2 \end{array} \right)$$

$$F_p = P_L A_p = M s^2 x_p + C s x_p + K_L x_p + F_L$$

$$G_{act} = \frac{x_p}{x_v} = \frac{K_Q / A_p}{\left(s + \frac{K_C K_L}{A_p^2} \right) \left(\frac{s^2}{\omega_h^2} + \frac{2\delta_h}{\omega_h} + 1 \right)}$$

Hyd. stiffness and damping

$$\omega_h = \sqrt{\frac{4\beta A_p^2}{V_t M}} \quad \delta_h = \frac{K_C}{A_p} \sqrt{\frac{\beta M}{V_t}}$$

Meritt (1967);
Jelali & Kroll (2003)

Unknown parameter identification

$$G_{EHA} = \frac{x_p}{v} = G_{valve} G_{act}$$

$$G_{valve} = \frac{x_v}{v}(s) = K_v \left[\frac{1}{1 + \left(\frac{2\zeta}{\omega_{nv}} \right) s + \left(\frac{s}{\omega_{nv}} \right)^2} \right]$$

$$G_{act} = \frac{x_p}{x_v} = \frac{K_Q/A_p}{\left(s + \frac{K_C K_L}{A_p^2} \right) \left(\frac{s^2}{\omega_h^2} + \frac{2\delta_h}{\omega_h} + 1 \right)}$$

System identification:

$$x_d \in \{K_L; C; \omega_{nv}; \zeta; K_Q; K_C\}$$

$$\min f_{objs}(x_d) = \sum_{i=1}^{n_p} r_i^2 \text{ such that } lb \leq x_d \leq ub$$

$$r_i = G_{EHA_{measured}} - G_{EHA}(x_d)$$

Jelali & Kroll (2003)

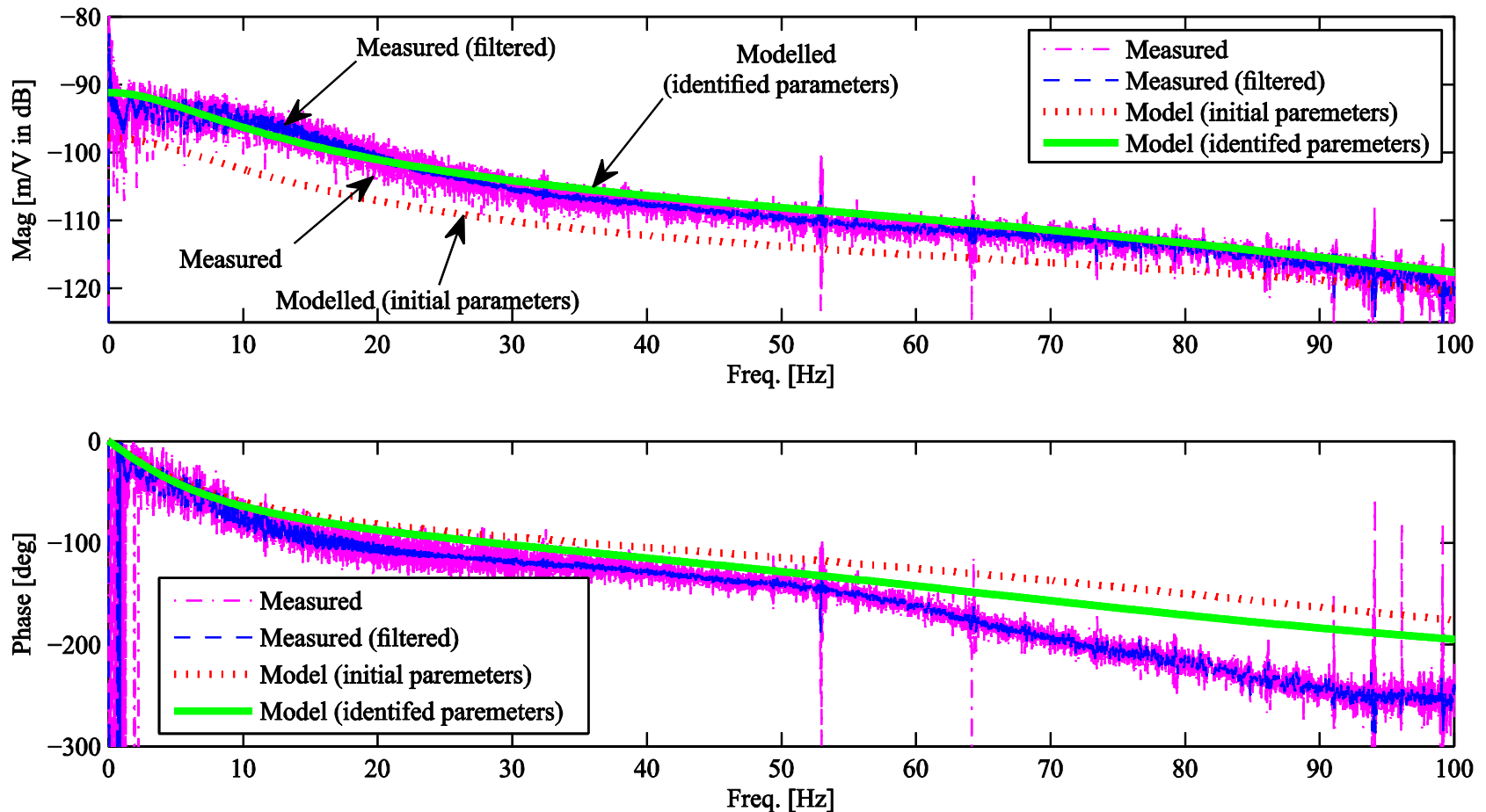
Sensor measuring actuator position Machine to be mounted on this surface Actuator clamped to test rig



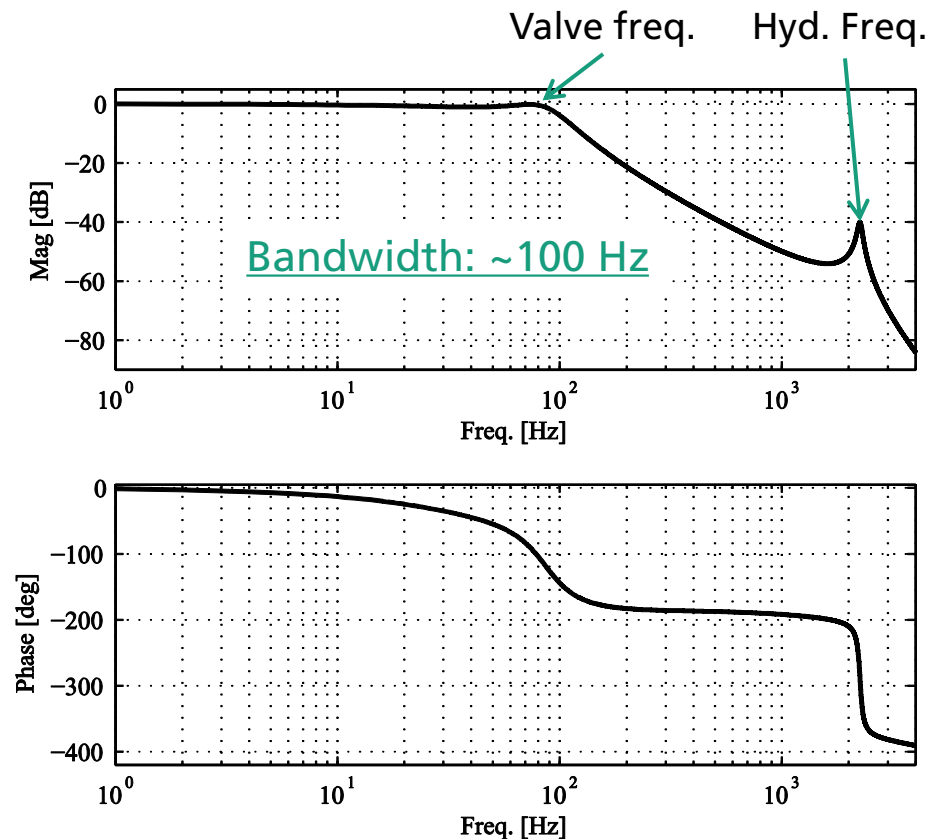
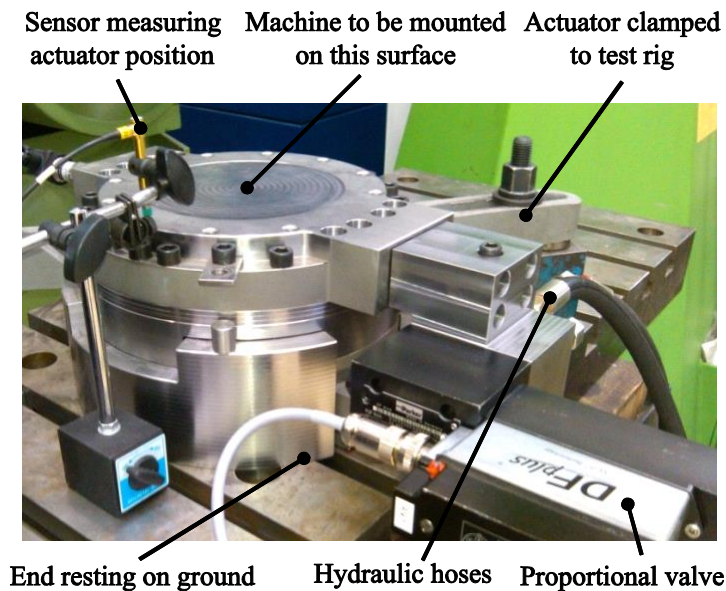
End resting on ground Hydraulic hoses Proportional valve

Variable	Initial value	Identified value
Viscous coefficient, C [Ns/m]	3900	1951
Actuator static stiffness, K_L [N/m]	6.8×10^8	6.8×10^8
Flow gain coefficient, K_Q [m ³ /s/mA]	9.74×10^{-6}	9.74×10^{-6}
Flow pressure coefficient, K_C [m ³ /s/Pa]	7.15×10^{-11}	6.6×10^{-11}
Valve Natural frequency, ω_{nv} [rad/s]	628	524
Damping ratio, ζ	0.48	0.65

Experimental characterization



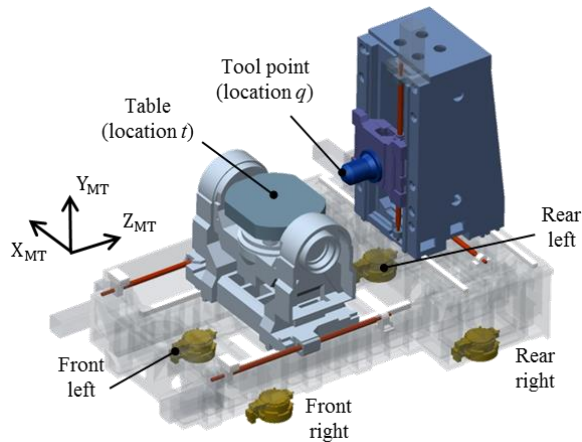
Closed-loop dynamics of the actuator (without machine and external disturbance)



Structure

- Introduction and Motivation
- Electro-hydraulic active isolator
 - Actuator working principle and dynamics
 - Experimental characterization
- Active isolation of machine tools
 - Transmissibility of a flexible machine
- Conclusions and outlook

Active isolation of machine tools

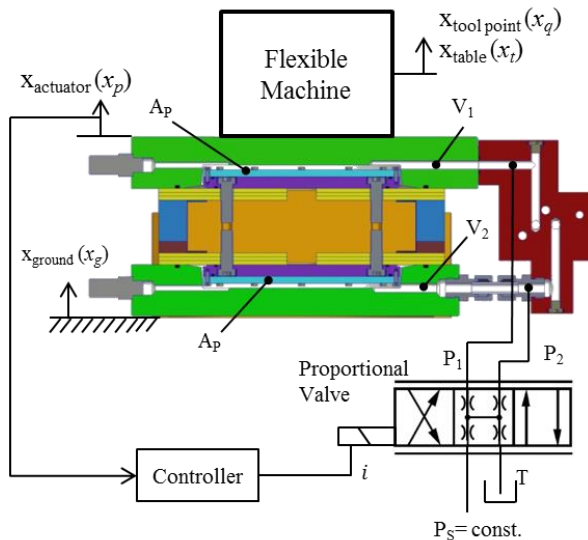


Transmissibility between ground and table:

$$TR_{tg} = \frac{x_t}{x_g} = \frac{x_p}{x_g} \times \frac{x_t}{x_p}; \quad p = 1 \dots 4$$

Transmissibility
between ground
and actuator

Transmissibility
between actuator
and table



Transmissibility between ground and tool point:

$$TR_{qg} = \frac{x_q}{x_g} = \frac{x_p}{x_g} \times \frac{x_q}{x_p}; \quad p = 1 \dots 4$$

Transmissibility
between ground
and actuator

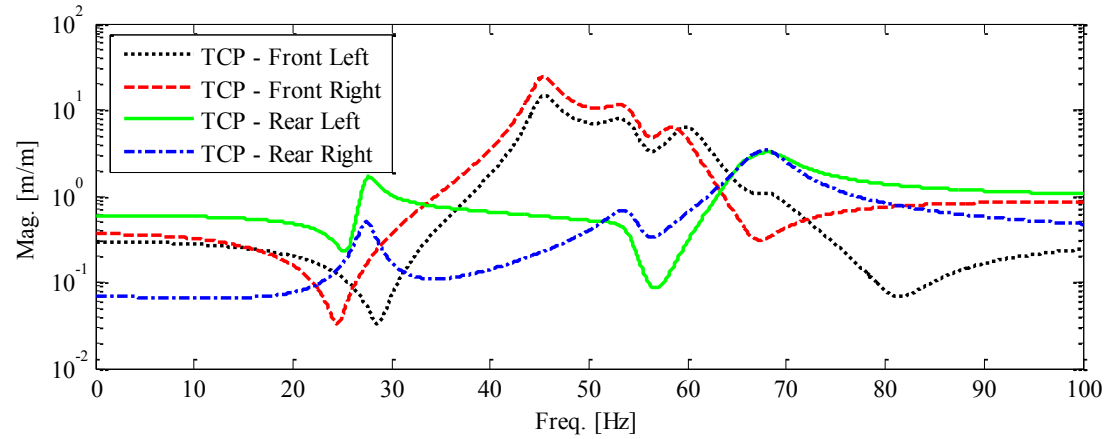
Transmissibility
between actuator
and tool point

Transmissibility betn actuator and table/tool point

TR betn actuator and tool point:

$$TR_{qp}(\omega) = \frac{x_q(\omega)}{x_p(\omega)} = \frac{x_q(\omega)/F_p(\omega)}{x_p(\omega)/F_p(\omega)}$$

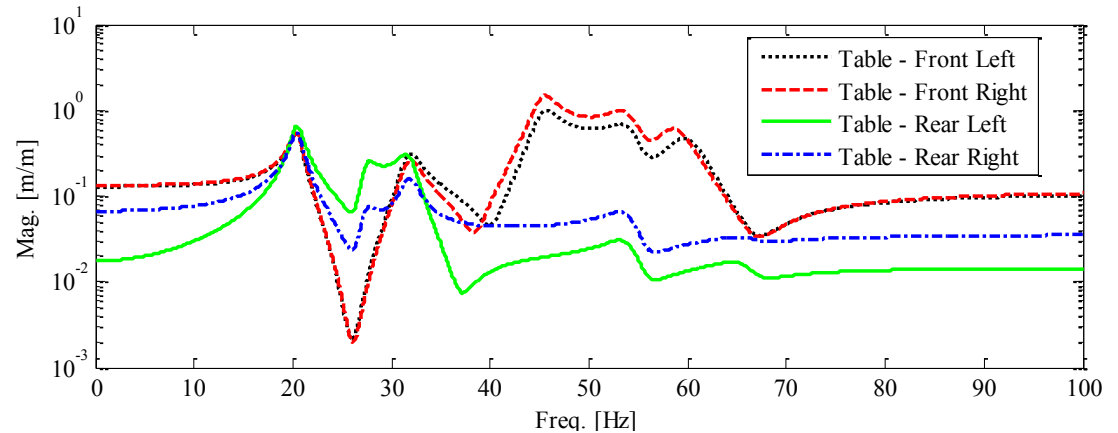
$$= \frac{H_{qp}(\omega)}{H_{pp}(\omega)}; \quad p = 1 \dots 4$$



TR betn actuator and table:

$$TR_{tp}(\omega) = \frac{x_t(\omega)}{x_p(\omega)} = \frac{x_t(\omega)/F_p(\omega)}{x_p(\omega)/F_p(\omega)}$$

$$= \frac{H_{tp}(\omega)}{H_{pp}(\omega)}; \quad p = 1 \dots 4$$



wherein:

$$H_{ij}(\omega) = \sum_r^{N_m} \frac{\Phi_{i_r} \Phi_{j_r}}{-\omega^2 + i_m 2\zeta_r \omega \omega_{n_r} + \omega_{n_r}^2}$$

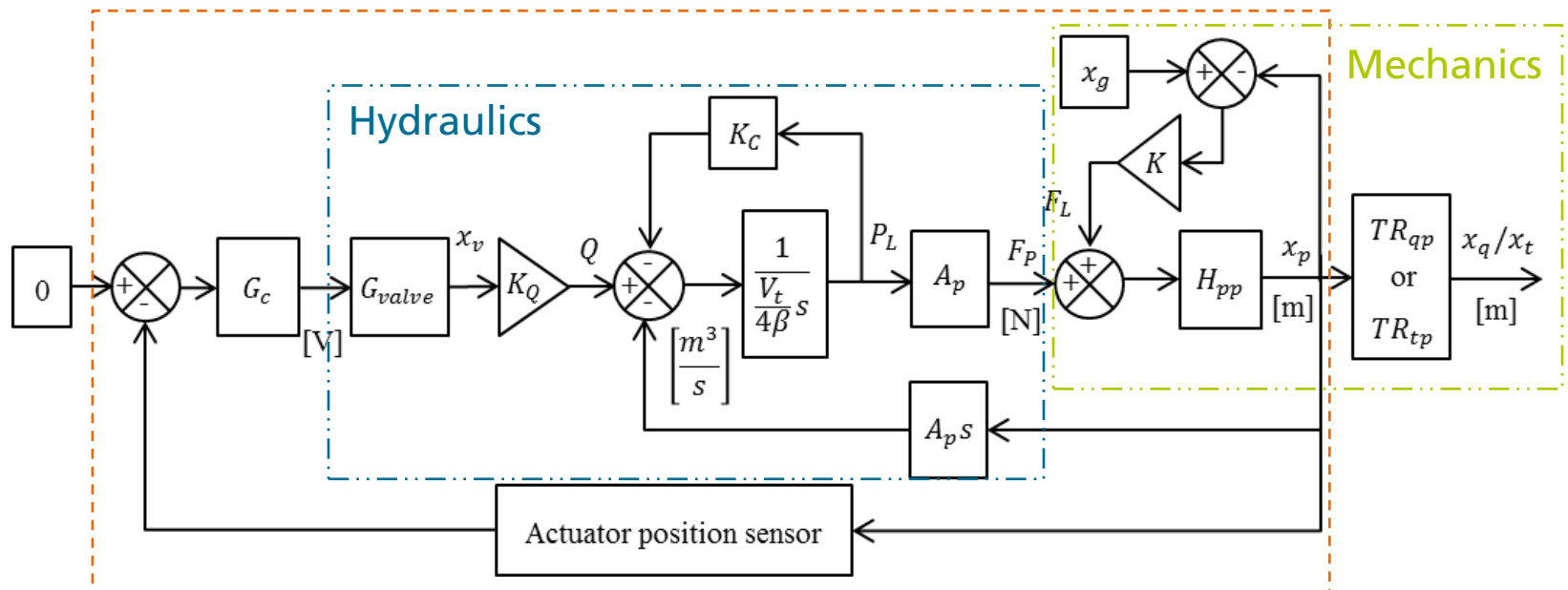
Controlled transmissibility

TR between ground and table:

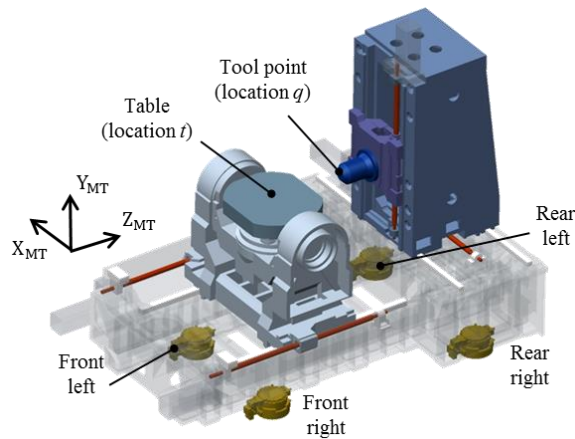
$$TR_{tg} = \frac{x_t}{x_g} = \frac{x_p}{x_g} \times \frac{x_t}{x_p}; \quad p = 1 \dots 4$$

TR between ground and tool point:

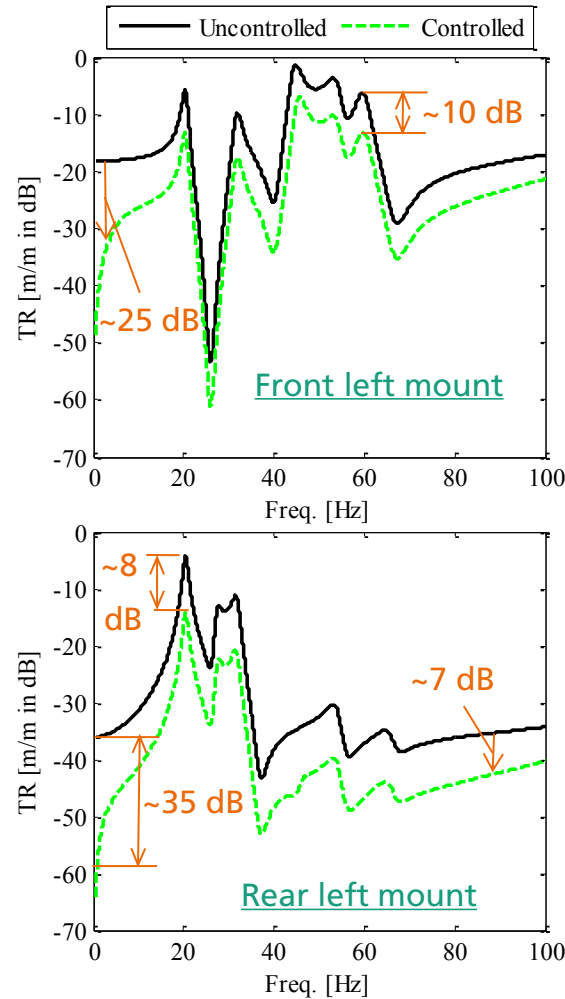
$$TR_{qg} = \frac{x_q}{x_g} = \frac{x_p}{x_g} \times \frac{x_q}{x_p}; \quad p = 1 \dots 4$$



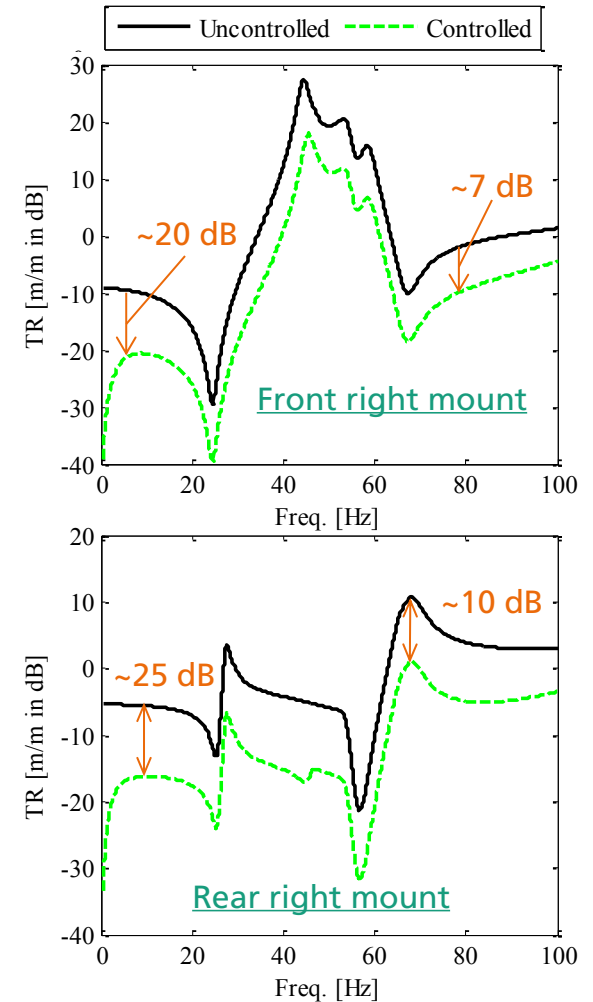
Controlled transmissibility



TR between ground and table



TR between ground and tool point

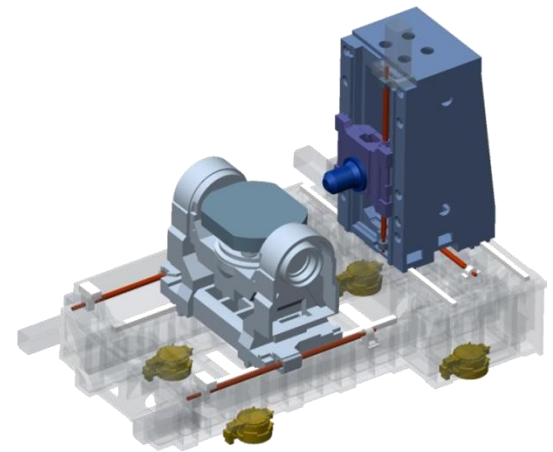


Summary

- ✓ Designed and developed a novel electro-hydraulic isolator
- ✓ Actuator has a high static stiffness to support large inertial loads
- ✓ Controlled closed-loop transmissibility shows actuator:
 - ❖ Has a high bandwidth (~100 Hz)
 - ❖ Can attenuate ground motion transmitted to the tool/table up to 35 dB

Future work

- Further experimental characterization of actuator
- Investigate advanced control strategies



Acknowledgment:

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Co-Operation on Sustainable Energy Technologies

Thank you for your attention!

Questions?

Mohit Law

mohit.law@iwu.fraunhofer.de

+49 371 5397-1518